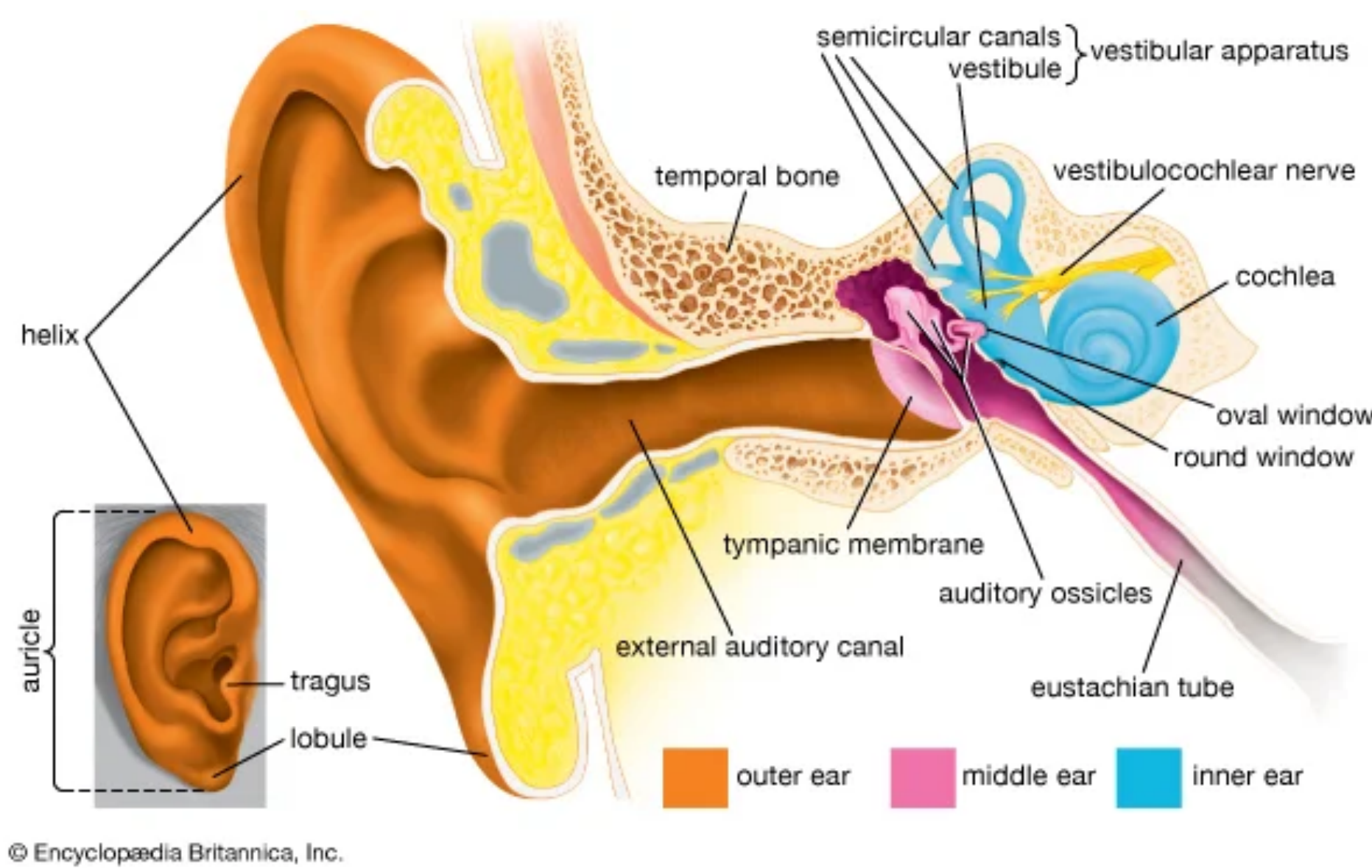


## Light scattering for optical cochlear implants

- ▶ Implant uses waveguide and photodiodes instead of electrode array
- ▶ Precise light stimulation of neurons
- ▶ Understanding how light is scattered in human cochlea
- ▶ Use of phantom tissue layers
- ▶ Simulative and analytical approaches



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## Phase functions and single scattering

- ▶ Aim: Finding a phase function which is as exact as a calculated scattering distribution and at the same time meets:

- ▶ the condition of normalisation

$$2\pi \int_0^\pi p(\theta) \sin \theta d\theta = 1$$

- ▶ and anisotropy

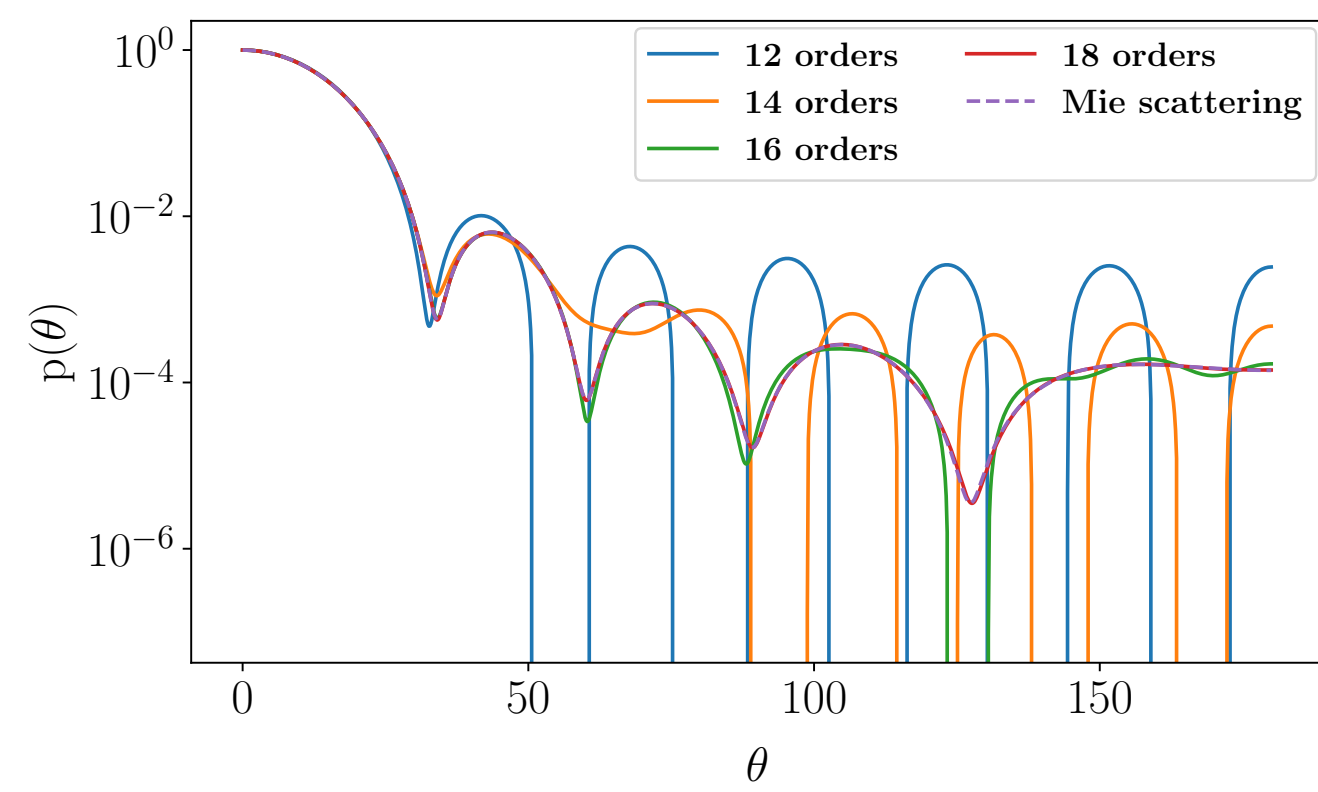
$$2\pi \int_0^\pi p(\theta) \cos \theta \sin \theta d\theta = g$$

- ▶ Out of the Mie derivation for any scattering event

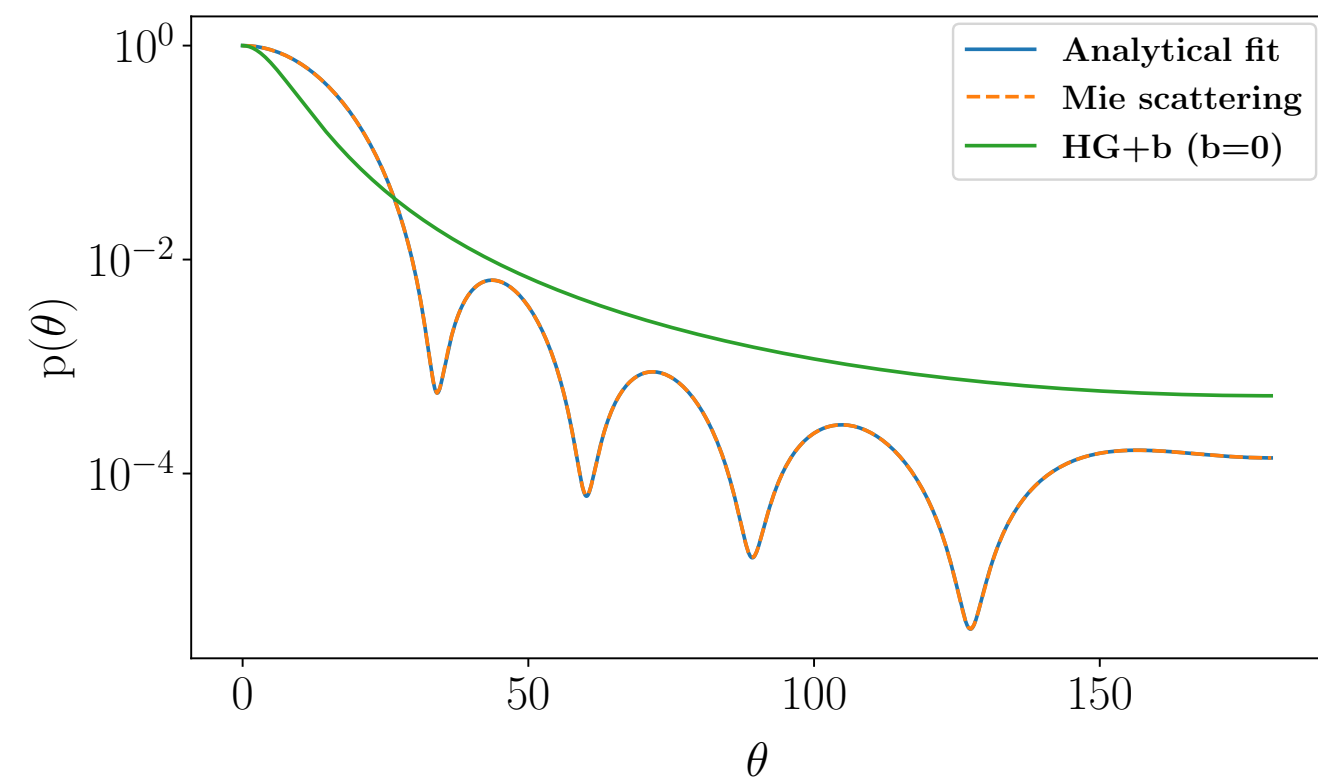
$$p(\theta) = \sum_{l=0}^{2n_{\max}} \tilde{g}_l \cos l\theta.$$

- ▶ With  $2n_{\max}$  fit parameters  $\tilde{g}_l$ , we can write an analytical fit to any calculated Mie distribution as

$$p_1(\theta) = \sum_{l=0}^{2m} \tilde{g}_l \cos(l\theta) + \tilde{g}_{2m+1} \cos((2m+1)\theta) + \tilde{g}_{2m+2} \cos((2m+2)\theta)$$



Order of fit parameters



Phase functions

## Multiple scattering

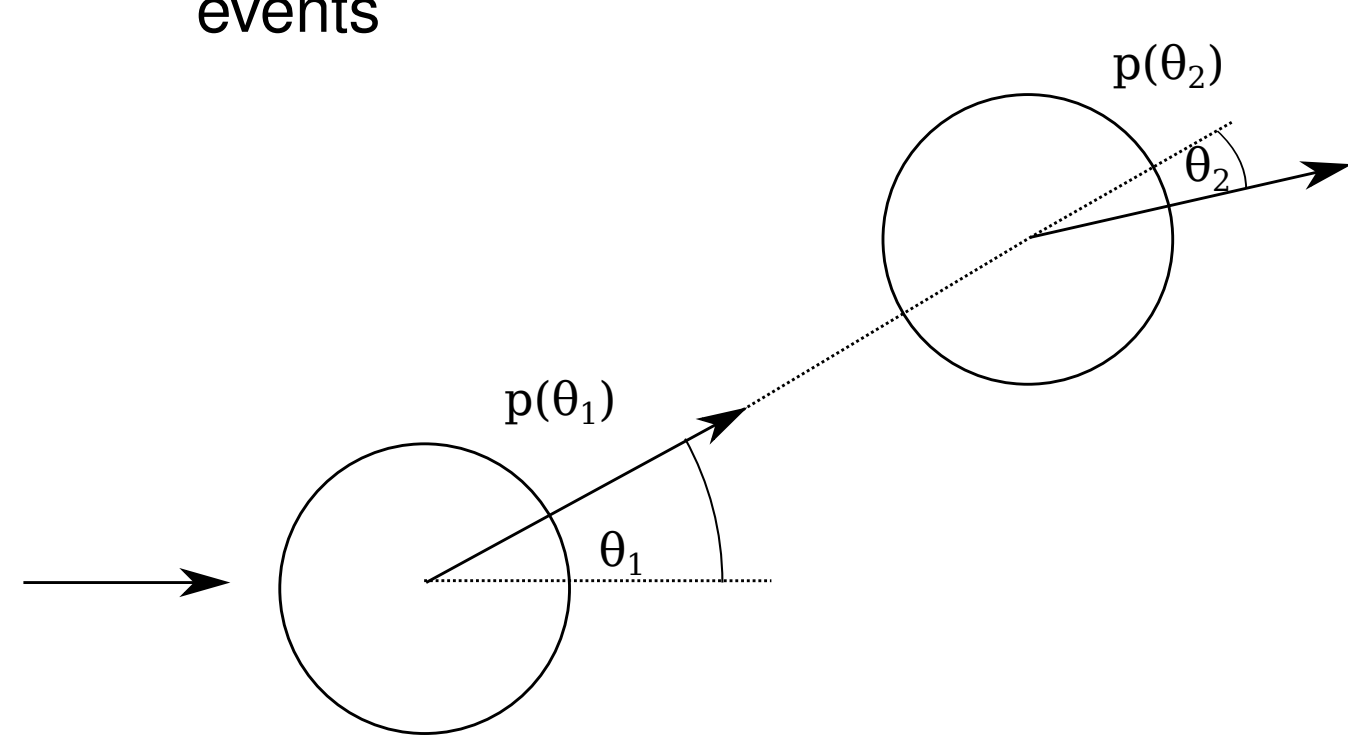
- ▶ Analytical calculation of multiple scattering in a tissue layer
- ▶ Calculation of second scattering event out of  $p_1(\theta)$

$$p_2(\theta) = \int_{-\pi}^{\pi} p_1(\theta_1) p(\theta_2) d\theta_1$$

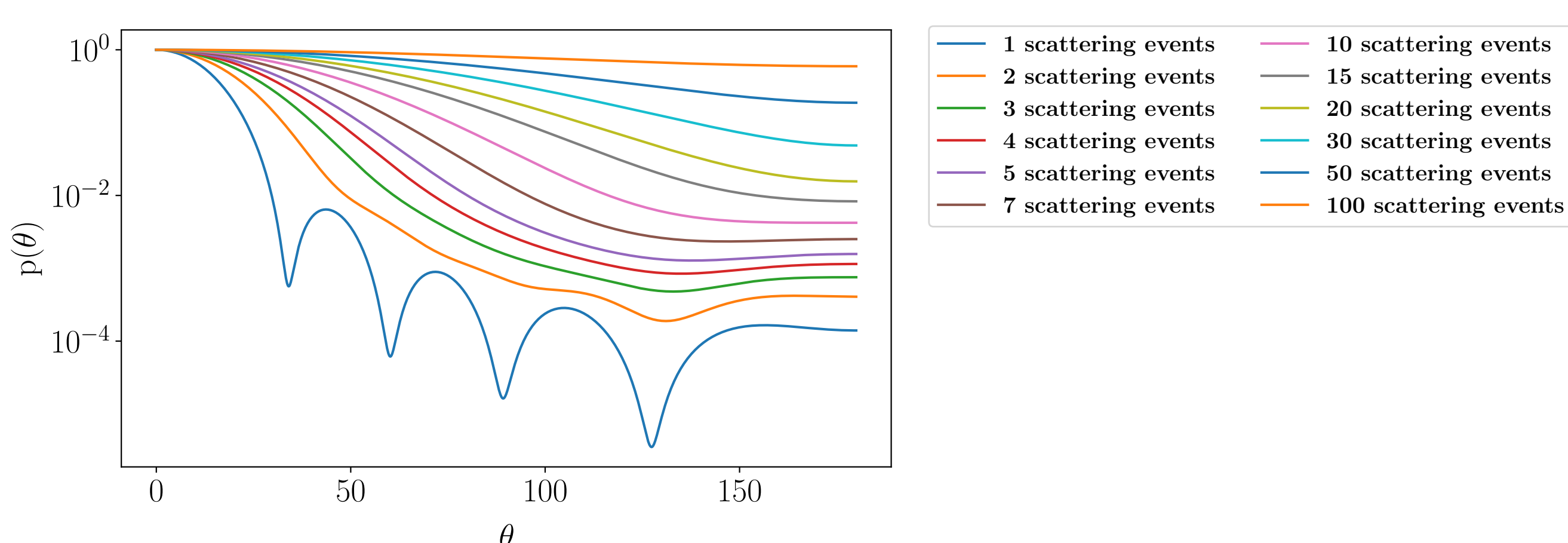
- ▶ with correction terms

$$\int_{-\pi}^{-\pi+\theta} p_1(\theta_1) p(\theta - \theta_1 - 2\pi) d\theta_1 + \int_{\pi+\theta}^{\pi} p_1(\theta_1) p(\theta - \theta_1 + 2\pi) d\theta_1$$

- ▶ Convolute every scattering angle back into the desired interval  $[-\pi, \pi]$
- ▶ Angle distribution for  $n+1$  scattering events



$$p_{n+1} = \begin{cases} \int_{-\pi+\theta}^{\theta} p_n(\theta_n) p(\theta - \theta_n) d\theta_n + \int_{-\pi}^{-\pi+\theta} p_n(\theta_n) p(\theta - \theta_n - 2\pi) d\theta_n & : 0 \leq \theta \leq \pi. \\ \int_{-\pi}^{-\pi+\theta} p_n(\theta_n) p(\theta - \theta_n) d\theta_n + \int_{\pi+\theta}^{\pi} p_n(\theta_n) p(\theta - \theta_n + 2\pi) d\theta_n & : -\pi \leq \theta \leq 0 \end{cases}$$



Multiple scattering events

## Monte Carlo Simulation and Experiment

- ▶ Calculation of an angle dependent intensity distribution and scattering efficiency for a single scatterer

$$S_U(\theta) = \frac{1}{2}(S_{\perp} + S_{\parallel})$$

$$Q_{\text{sca}} = \frac{2}{Z^2} \sum_{n=1}^{\infty} (2n+1) |a_n|^2 + |b_n|^2$$

- ▶ Calculation of the scattering parameters

$$l_s = \frac{1}{\mu_s} = \frac{1}{\rho \sigma} = \frac{4\pi R^3}{3\sigma \eta}$$

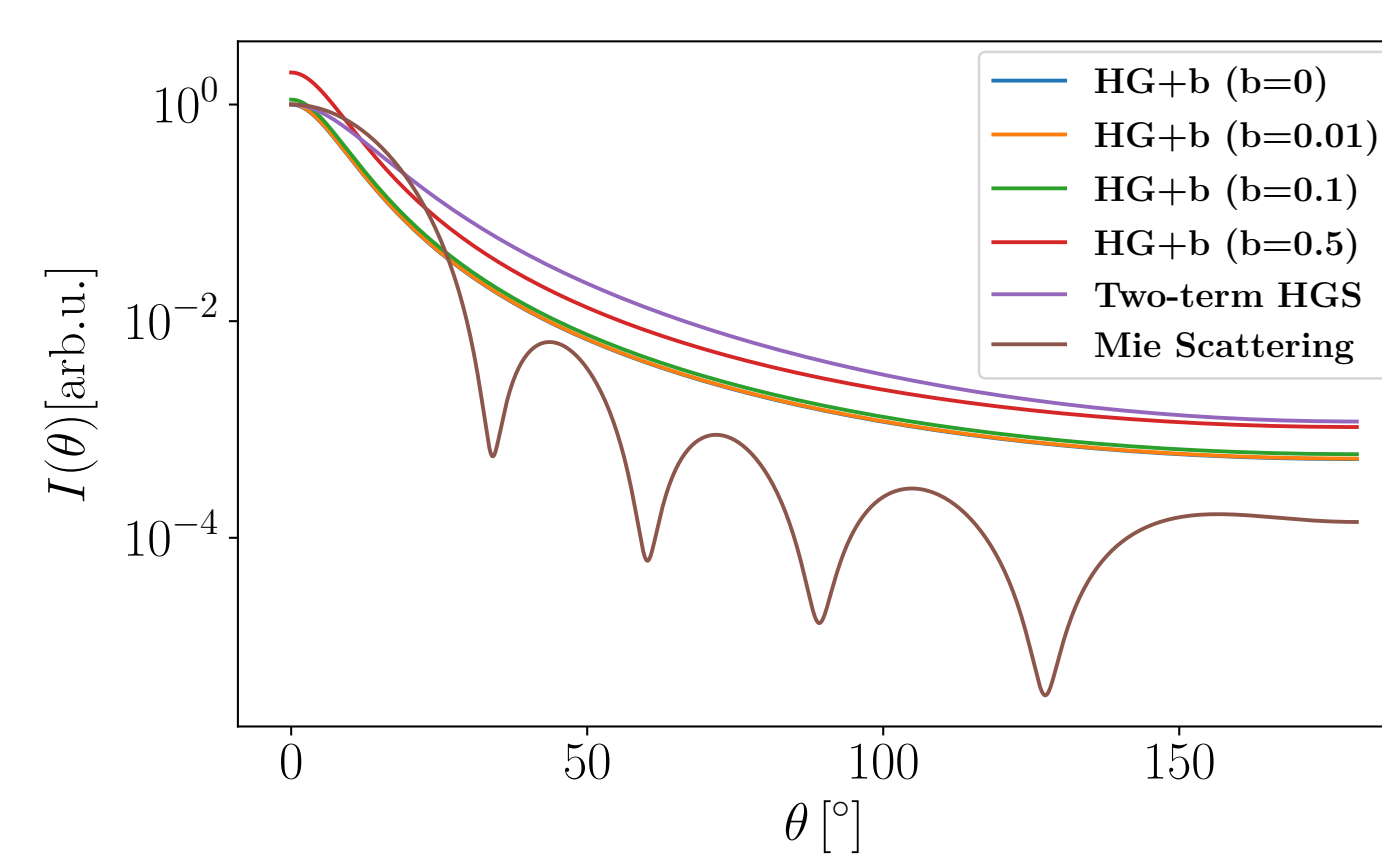
$$g = \frac{\int_0^\pi S_U(\theta) \sin \theta \cos \theta d\theta}{\int_0^\pi S_U(\theta) \sin \theta d\theta}$$

- ▶ Defining the phase function as calculated angle distribution

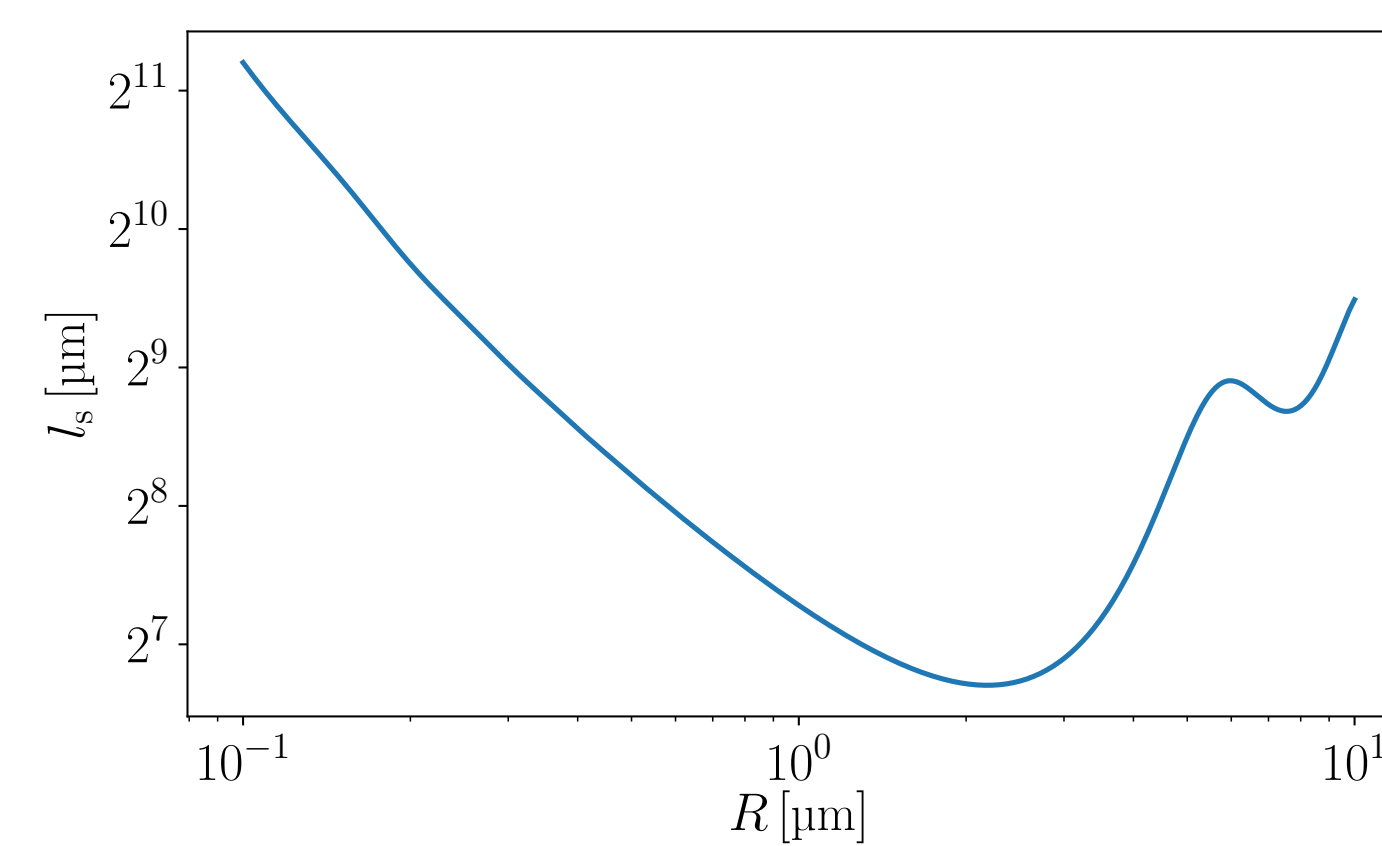
$$p(\theta) = S_U(\theta) = \frac{1}{2}(S_{\perp} + S_{\parallel})$$

- ▶ Henyey-Greenstein as phase function

$$p(\theta) = \frac{1}{4\pi} \left[ b + (1-b) \frac{1-g^2}{(1+g^2-2g\cos\theta)^2} \right]$$

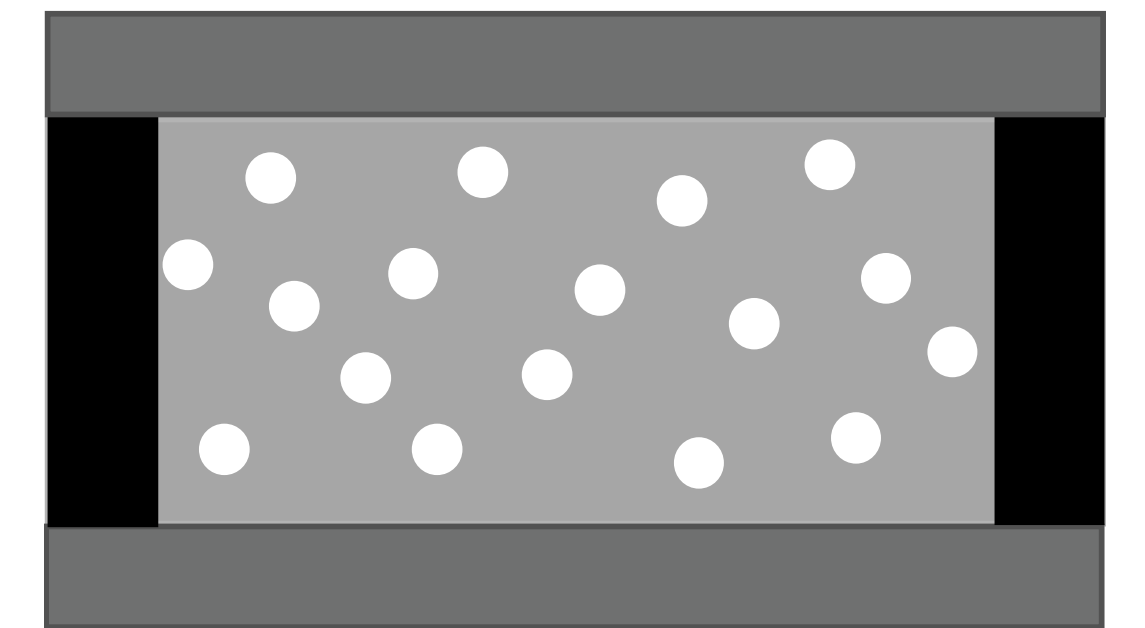


Henyey-Greenstein as phase function

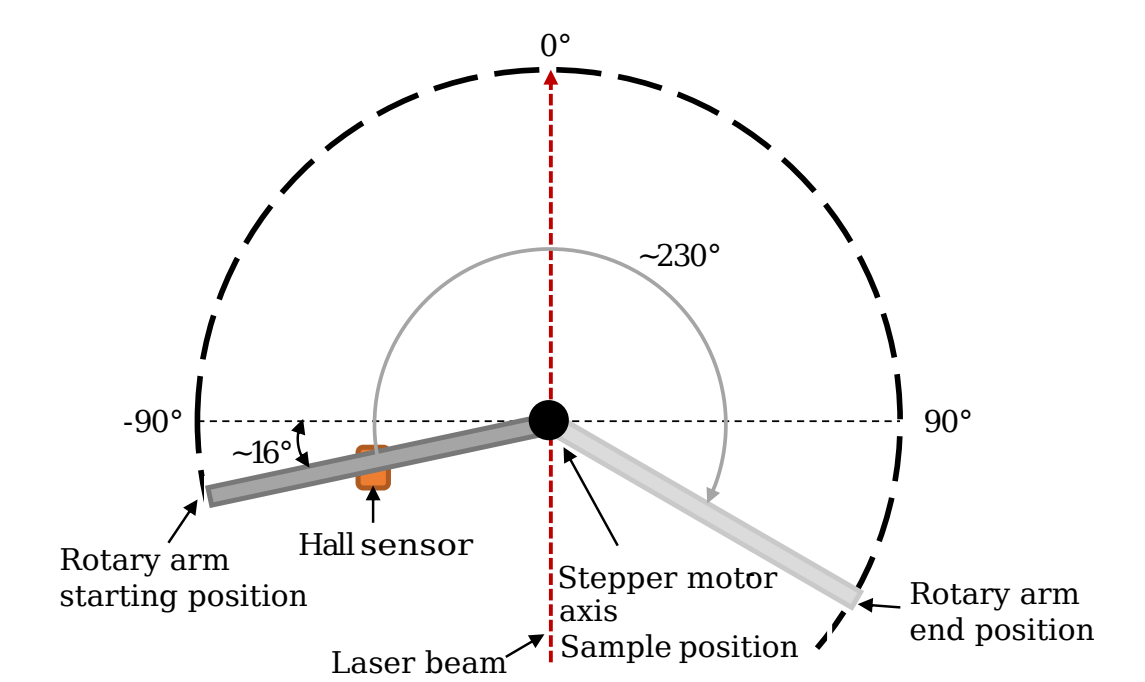


Mean free path length

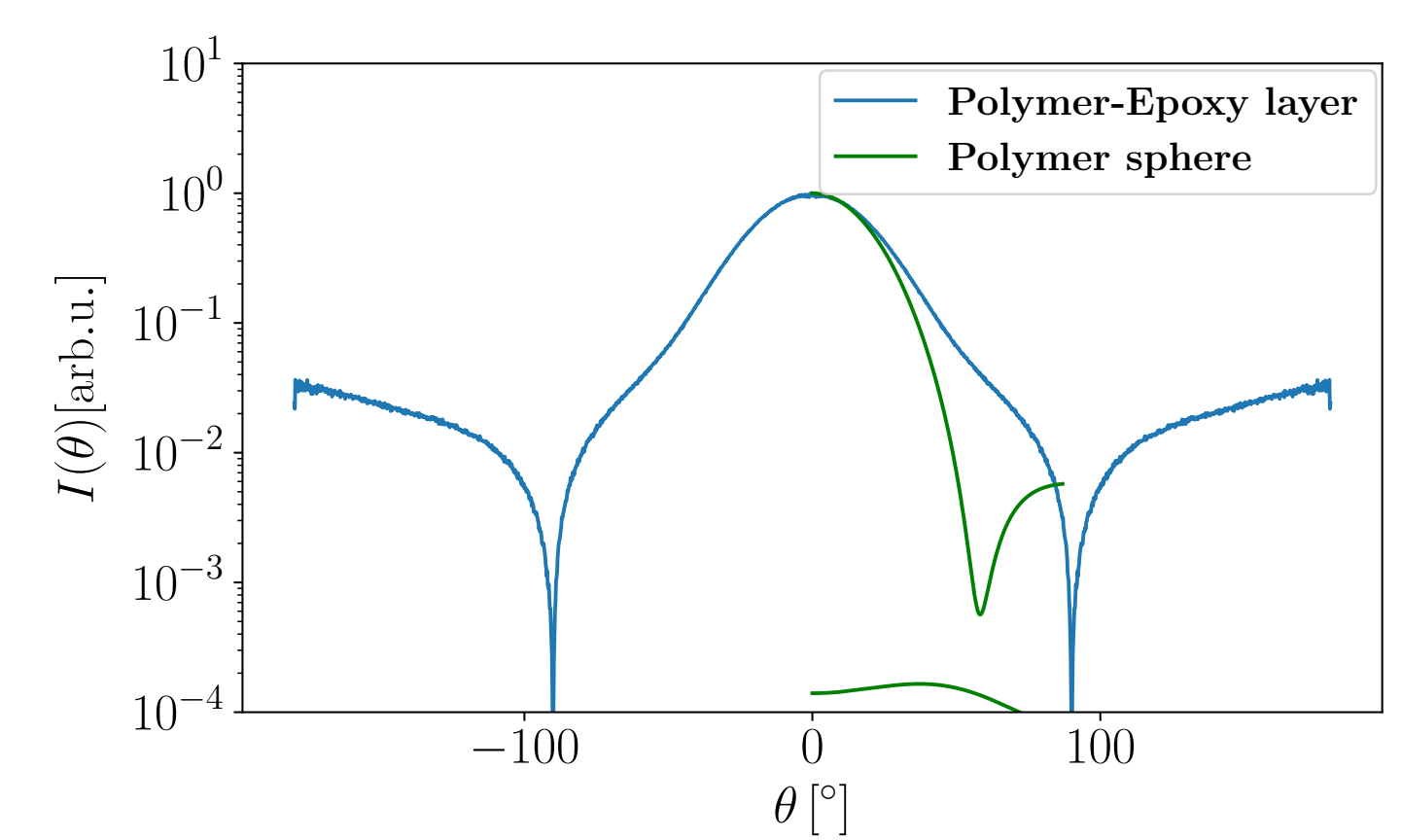
- ▶ Simulation/Measurement of light scattering through thin layers
- ▶ Phantom materials which mimic thin layers of human tissue
- ▶ Epoxy matrix with polymer spheres as scatterers



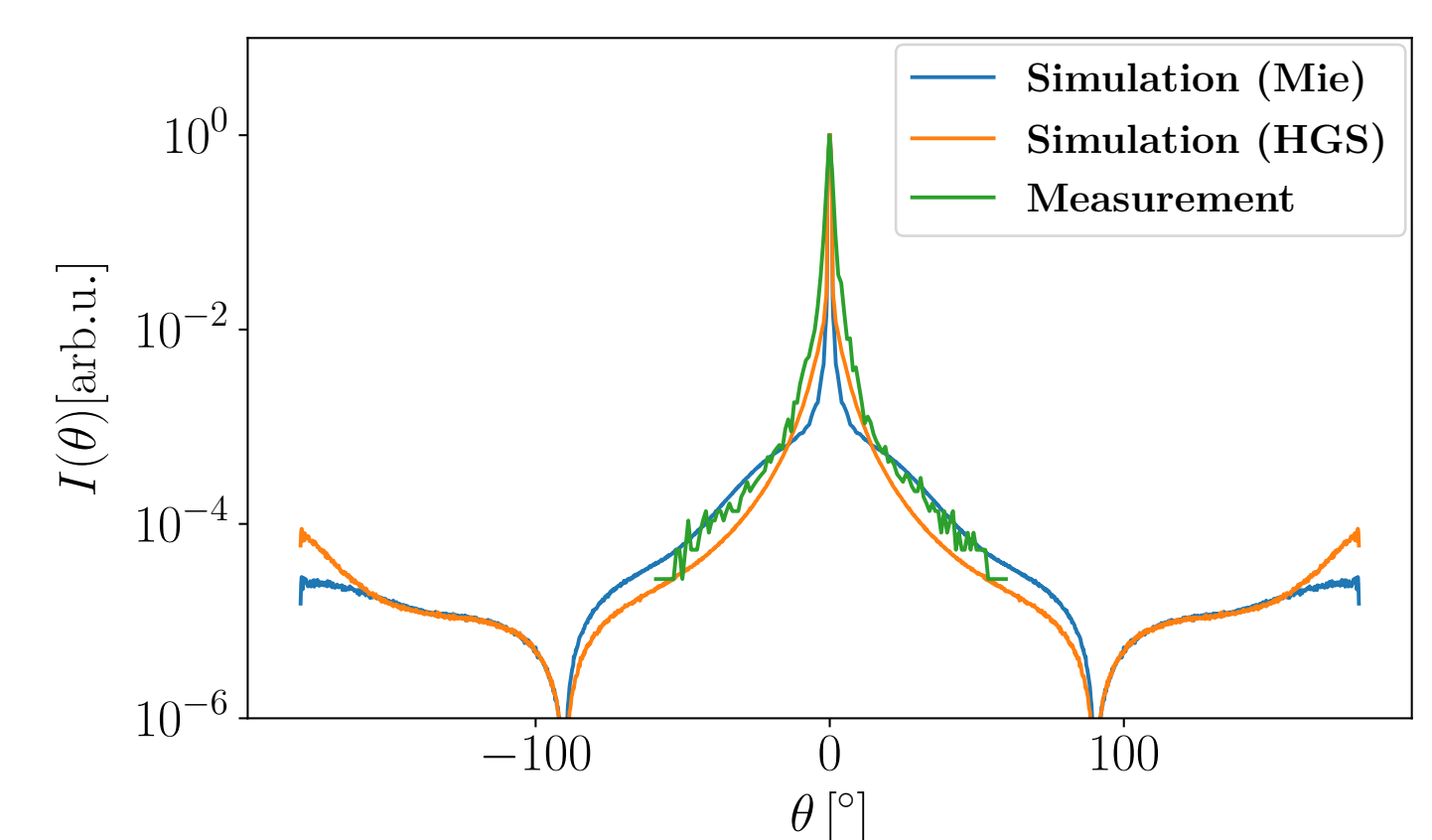
Phantom Layer



Experimental Setup



Multiple scattering in MCS



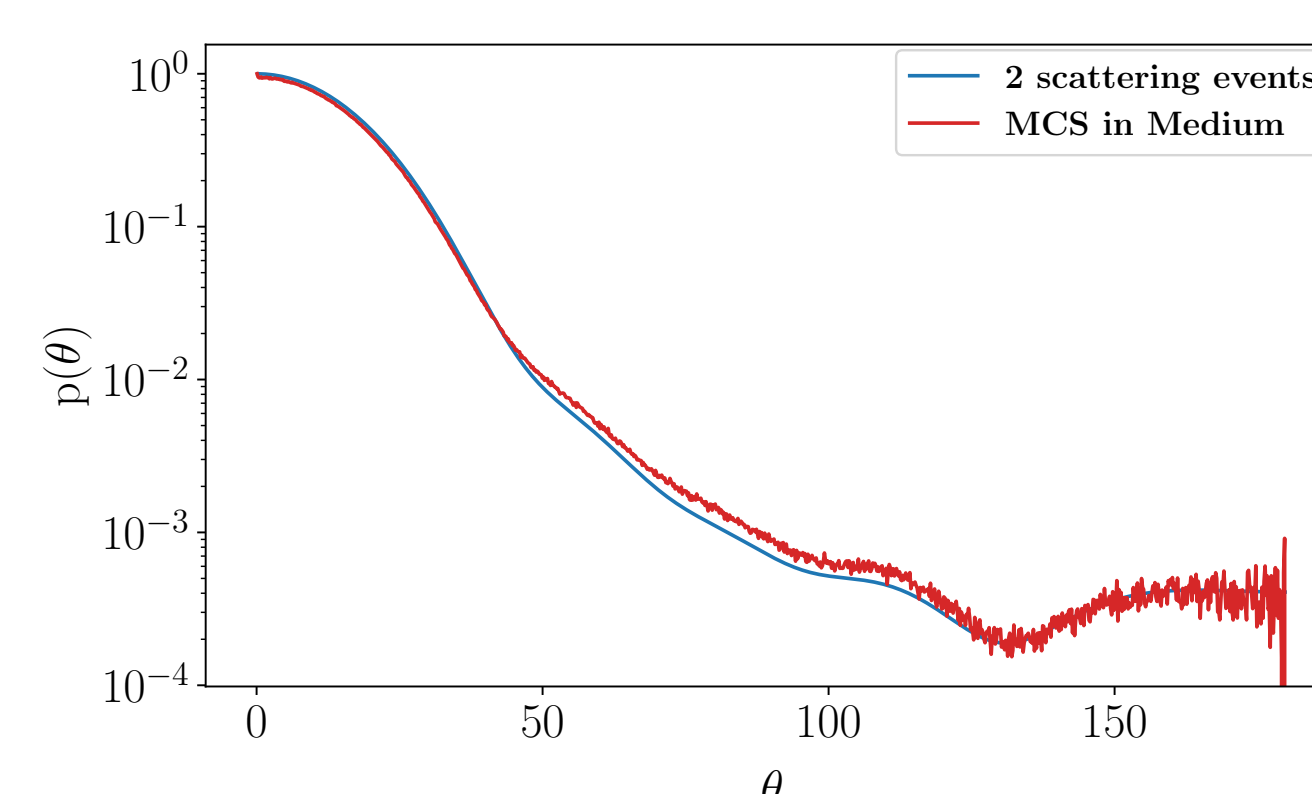
Measurement and Simulations

## Outlook for realizing an analytical model

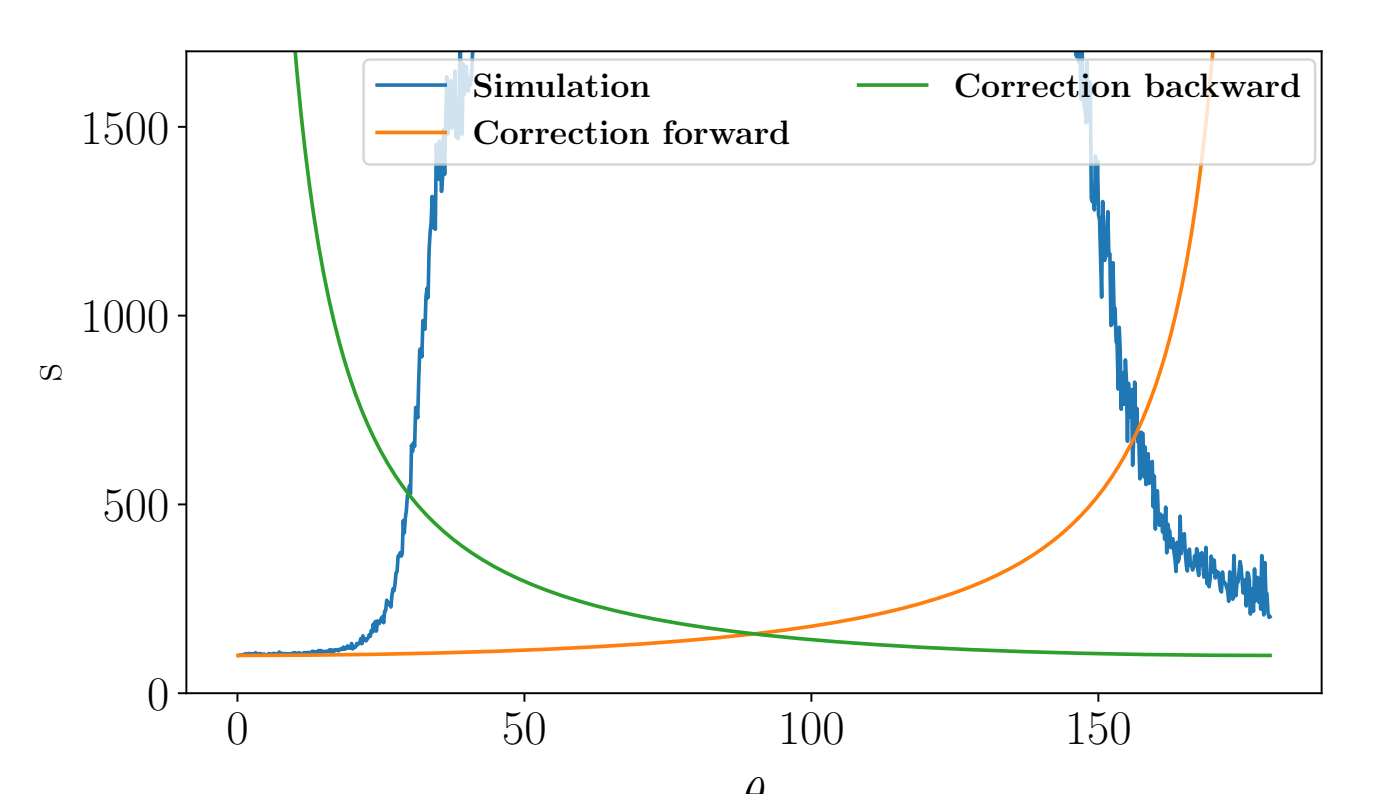
- ▶ Calculating angle distributions for tissue layers
- ▶ Including material transitions
- ▶ Fresnel correction in the analytic model
- ▶ Finding exact number of scattering events in simulation

- ▶ Different distances traveled by photons
- ▶ Calculating transmission for multiple scattering
- ▶ Multiple media layers with corresponding scattering functions

$$T_n = \int_{-\pi/2}^{\pi/2} p_n(\theta) d\theta$$



Predetermined scattering events in simulation



Distance traveled in model and simulation